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## **ANALYSIS OF THE RESULTS OF SIMULATIVE MODELLING OF THE INFORMATION SECURITY SYSTEM IN THE CORPORATE NETWORKS OF HIGHER EDUCATION INSTITUTIONS**

**Abstract.** The analysis shows that the insufficient level of information security in service networks is the main cause of huge losses for enterprises. Despite the appearance of a number of works to solve this problem, there is currently no unified system for assessing information security. This shows that this problem has not yet been sufficiently studied and relevant. This work is one of the steps towards creating a system for assessing information security in service networks.

The purpose of the work is to develop an algorithm and simulation model, analyze the results of the simulation model to determine the main characteristics of the information security system (ISS), providing the ability to completely close all possible channels of threats by controlling all unauthorized access (UA) requests through the protection mechanism (PM).

To solve the problem, a simulation method was applied using the principles of queuing systems (QS). This method makes it possible to obtain the main characteristics of the ISS from the UA with an unlimited amount of buffer memory (BM). Models, an algorithm and a methodology for the development of ISS from UA are proposed, which is considered as a single-phase multi-channel QS with an unlimited volume of BM. The process of obtaining simulation results was implemented in the GPSS World modeling system and comparative analyzes of the main characteristics of the ISS were carried out for various laws of distribution of output parameters. At the same time, UA requests were the simplest flows, and the service time was subject to exponential, constant and Erlang distribution laws.

Conducted experiments based on the proposed models and algorithm for analyzing the characteristics of the ISS from the UA as a single-phase multi-channel QS with unlimited waiting time for requests in the queue confirmed the expected results. The results obtained can be used to build new or modify existing ISS in corporate networks for servicing objects for various purposes. This work is one of the approaches to generalizing the problems under consideration for systems with an unlimited volume of BM. Prospects for further research include research and development of the principles of hardware and software implementation of ISS in service networks.

**Keywords:** unauthorized access (UA); information security systems (ISS); information security; queuing systems (QS); protection mechanism (PM); simulation modeling.

### 1. INTRODUCTION

**Formulation of the problem.** The work is devoted to the study of information security problems in service networks with an unlimited volume of BM. An analysis of research and experience in this area shows that insufficient security of information resources in corporate service networks leads to huge losses in enterprises, including higher educational institutions, which emphasizes the high importance of the problem of information security [1], [2].

Analysis of the current state of the problem in the field of information security, incl. development of ISS, shows that there are serious difficulties associated largely with the lack of a unified system for assessing information security that allows for a quantitative assessment in the design and operation of ISS for service networks [1], [3], [4]. It should be noted that at present, due to insufficient experience in designing an ISS, the tasks of its construction must be solved in the early stages of designing a service network.

Based on the above, we can say that the problem of information security in service networks has not been sufficiently studied and is relevant [1], [5] [6]. It should be noted that one of the most obvious causes of information security violations is the deliberate request of UA to confidential information by illegal users and subsequent unwanted manipulations with this information [1], [7]. The effectiveness of ensuring information security in service networks is mainly determined by the level of security of the service network itself [8], [9], [10], and therefore the implemented protection mechanisms are determined.

Due to the existence of the fact that the protection system does not completely close all possible channels of manifestation of threats in the structure, a new ISS structure was proposed in [1.p.47], where, unlike the existing structure, each input flow is provided with a PM for servicing.

The work [1] proposes a lossy ISS structure with limited and unlimited volume of BM, ensuring maximum information security of service networks by ensuring control of the transition of all UA requests through the PM. Here we analyze the results of an ISS simulation model with an unlimited volume of BM for wide values of input and output parameters.

Note that when solving the security problem in service networks, the main factor is the network security class, which is determined by a set of PMs implemented in the form of hardware or software in the network [1], [11],[12]. As already noted, in service networks, along with normal requests, there are UA requests for confidential information from illegal users, which can lead to disruption of the network.

It should be noted that the PM, influencing the entire process of ensuring information security, can function in constant information interaction with other elements of the ISS. It is known that the functioning of the PM is described by such possible states as serviceable, faulty, diagnosed, restored [13], [14]. In ISS, risk is considered the possibility of the occurrence of some unfavorable event associated with the characteristics of the unreliability of the PM, entailing various types of losses [1], [15],[16]. However, approaches associated with risk arising from the reliability characteristics of the PM are not considered in this work, i.e. it is assumed that all MP are reliable. At the same time, **the object of research** is considered to be a ISS from the UA with an unlimited amount of buffer memory in service networks. **The subject of the study** is to determine the main characteristics of the ISS from the UA data with an unlimited amount of buffer memory in service networks. **The purpose of the work** is to develop an algorithm and a simulation model, as well as to analyze the results of the simulation model to determine the main characteristics of an ISS with an unlimited volume of BM.

## 2. THEORETICAL BASIS

We consider the structure of the ISS with an unlimited calculation of the BM (Fig. 1), in which all input flows receive a PM for servicing. It is assumed that the considered structure of the ISS ensures information security of network maintenance. This structure is a hardware and software complex that interacts with streams of random events that determine the actions of attackers, incorrect distribution of access rights, the use of unauthorized software, as well as errors in software and hardware systems for identification and authentication.

It is assumed that an intruder (attacker, UA requests) at the system input creates various threats with an intensity  $\lambda$  of . ISS consists of  $N$  - the number of PMs that carry out service delays  $\tau_0 = \frac{1}{\mu}$ , where  $\mu$  - the intensity of request servicing. If we consider the intruder's block as a source of information, and the PM as parallel operating devices, then as a mathematical model of the ISS we can consider a single-phase, multi-channel QS with an unlimited volume of BM. At the same time, the complexity of servicing UA requests is characterized by screening out UA requests, detecting and classifying UA attempts, blocking or passing UA requests to protected resources, etc.

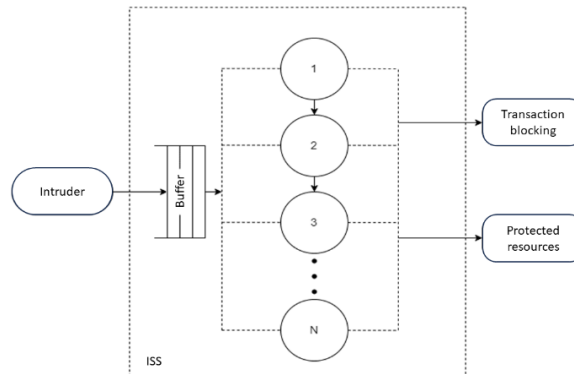


Fig. 1 Structure of ISS with unlimited volume of BM

Taking into account the noted complex nature of servicing UA requests, as a function of the probability of loss of UA requests from failure due to overload of the servicing system for a system with unlimited waiting (that is, for a system with unlimited BM), in [1p.49] it is proposed to use the Erlang delay function:

$$p_1(N, \lambda, \mu) = \frac{\rho^N / [(N-1)! (N-\rho)]}{\sum_{k=0}^{N-1} \rho^k / k! + \rho^N / [(N-1)! (N-\rho)]}$$

Then the problem of determining the optimal values of the ISS characteristics can be formulated as minimizing the mathematical expectation of the function of the probability of loss of requests UA from refusal due to overload of the service system:

$$M \left[ \frac{\rho^N / [(N-1)! (N-\rho)]}{\sum_{k=0}^{N-1} \rho^k / k! + \rho^N / [(N-1)! (N-\rho)]} \right] \rightarrow \min$$

at  $\lambda \geq \lambda_0, \mu \geq \mu_0, N \geq N_0$

$$L_q \leq L^0$$

where  $M$  - is the sign of the mathematical expectation;  $\rho = \frac{\lambda}{\mu}$  - reduced intensity;  $\lambda_0, \mu_0, N, L^0$  - permissible limit values  $\lambda, \mu, N, L_q$ ;  $L_q$  - average value of the queue length, i.e. a value that determines the volume of BM.

Problems associated with insufficient information security in service networks and the task of determining the optimal values of the characteristics of the ISS from the UA for various cases are considered and analytically solved in [1] and the optimal values of the characteristics of the QS with and without waiting for requests in the queue are obtained. However, for a detailed analysis of the characteristics of the ISS from the UA for wide values

of input and output parameters, it is preferable to use simulation modeling methods, considering it as a single-phase, multi-channel QS with and without waiting.

Considering the volume of the obtained results of the simulation model, here we will limit ourselves to considering the analysis of the results of the QS simulation model with unlimited waiting for requests in the queue, covering wide values of input and output parameters.

Thus, based on the presented structure of the ISS, the work sets the task of analyzing the results of simulation of a single-phase multi-channel QS with an unlimited volume of BM. To do this, using the simulation method, it is necessary to determine the structural and temporal characteristics of the ISS within the given average values  $\lambda, \mu$  and the number of parallel operating service devices (PM).

### 3. RESEARCH METHODS

To determine the characteristics of the ISS that allow it to function within limited resources, it is assumed that the input flow of information, i.e. UA requests are the simplest, and the service time is subject to exponential, constant and Erlang distribution laws. To adequately describe the functioning of the ISS from the UA, algorithms for a simulation model of the service process have been developed for three cases.

- The receipt of requests to the ISS and the service time are subject to the exponential distribution law.

- The receipt of requests in the ISS is subject to an exponential distribution law, and the service time is subject to a uniform distribution law.

- The receipt of requests in the ISS is subject to the exponential distribution law, and the service time is subject to the Erlang distribution law.

The developed algorithm for the functioning of the ISS from the UA includes the following steps.

1. The average values  $\lambda, \mu$  and minimum permissible limit values of the number of parallel operating service devices (PM) are set. For the purpose of a detailed analysis of the properties of the system under study, a table structure is organized for the waiting time in the queue and the time spent by requests in the system. In this case, the upper limit of the first frequency interval, the value of all other frequency intervals and the number of frequency intervals are set. The goal here is to construct density histograms of the distribution of waiting time in the queue and the time spent by requests in the system based on the accumulation of the frequency of a random variable falling into given frequency intervals.
2. When an UA request is received in the ISS, at least one free PM is searched; if there is one, the UA request is sent to this free PM and the UA requests are filtered out, and attempts of UA are detected and classified. As a result, the original UA flow is rarefied with  $p_1, p_2 = 1 - p_1$  certain probabilities, forming an output flow, i.e. blocking is likely to occur  $p_1$  or UA requests to protected resources are likely to be passed  $p_2 = 1 - p_1$ .
3. If all PMs are busy, the UA request waits in a queue in the system's BM until one of the PMs is released, since there is always free space in the BM.
4. After one of the PMs is released, the UA request arrives at this free PM and the servicing process occurs in accordance with the third step of the algorithm.
5. Note that the probability values  $p_1, p_2 = 1 - p_1$  are determined based on statistical analysis.

Based on the proposed algorithm, covering three cases of operation of the ISS from the UA as a single-phase, multi-channel QS with an unlimited capacity of BM, models for

simulating the ISS from the UA with an unlimited amount of buffer memory have been developed in the GPSS World modeling language. During the simulation, the model allows you to determine  $N = 2,5$ :

- number of requests to the PM (ENTRIES);
- average queue length (AVE.C);
- PM utilization rate (UTIL);
- mean value of the corresponding random variable (MEAN);
- standard deviation of a random variable (STD.DEV);
- lower and upper limits of the frequency interval (RANGE);
- the number of queries waiting for a specific condition to be fulfilled, depending on the state of this table (RETRY);
- the number of random values falling into a given interval (FREQUENCY);
- accumulated frequency, expressed as a percentage of the total number of random values (CUM.%).

#### 4. RESULTS AND DISCUSSION

Based on the execution of the simulation model for  $N = 2,5$  average values of real data, with  $\lambda = 1/3500$  ms and  $\mu = 1/1700$  ms results were obtained for three cases:

1. Receipt of requests to the ISS and service time are subject to an exponential distribution law.

In the first case, the results of a simulation model of the functioning of the ISS were obtained - reports (fragments of reports are shown in Fig. 2, on the basis of which Table 1 was created), and histograms of the distribution densities of the residence time  $T_U$  and waiting time  $T_W$  of requests, at  $N = 2,5$  (Fig. 3).

QUEUE CH_1	MAX CONT.	ENTRY	ENTRY(0)	AVE.CONT.	AVE.TIME	AVE.(-0)	RETRY			
	3204	3204	103205	37	1521.830	0.435	0.435 0			
STORAGE UZEL	CAP.	REM.	MIN.	MAX.	ENTRIES	AVL.	AVE.C.	UTIL.	RETRY	DELAY
	2	0	0	2	100002	1	1.999	1.000	0	3203
TABLE	MEAN	STD.DEV.	RANGE		RETRY		FREQUENCY	CUM.%		
T_W	0.434	0.291	-		0	69	0.07			
			0.000	-	0.001	20	0.39			
			0.001	-	0.001	22	0.11			
			0.001	-	0.002	23	0.13			
			0.002	-	0.002	46	0.18			
			0.002	-	0.002	60	0.24			
			0.002	-	0.003	43	0.25			
			0.003	-	0.003	61	0.34			
			0.003	-	0.004	45	0.39			
			0.004	-	-	99612	100.00			
T_U	0.435	0.291	-		0	52	0.06			
			0.001	-	0.001	36	0.10			
			0.002	-	0.002	61	0.17			
			0.002	-	0.003	83	0.26			
			0.003	-	0.004	94	0.36			
			0.004	-	0.005	83	0.45			
			0.005	-	0.006	75	0.54			
			0.006	-	0.006	66	0.61			
			0.006	-	0.007	86	0.71			
			0.007	-	-	89305	100.00			
QUEUE CH_1	MAX CONT.	ENTRY	ENTRY(0)	AVE.CONT.	AVE.TIME	AVE.(-0)	RETRY			
	23	2	100004	52060	1.060	0.000	0.001 0			
STORAGE UZEL	CAP.	REM.	MIN.	MAX.	ENTRIES	AVL.	AVE.C.	UTIL.	RETRY	DELAY
	3	0	0	3	100003	1	2.068	0.689	0	1
TABLE	MEAN	STD.DEV.	RANGE		RETRY		FREQUENCY	CUM.%		
T_W	0.000	0.001	-		0	74405	74.40			
			0.000	-	0.001	12221	86.62			
			0.001	-	0.001	6352	92.98			
			0.001	-	0.002	3205	96.18			
			0.002	-	0.002	1772	97.95			
			0.002	-	0.002	982	98.94			
			0.002	-	0.003	506	99.44			
			0.003	-	0.003	263	99.70			
			0.003	-	0.004	113	99.82			
			0.004	-	-	183	100.00			
T_U	0.001	0.001	-		0	50961	56.59			
			0.001	-	0.001	24672	83.98			
			0.002	-	0.002	9407	94.43			
			0.002	-	0.003	3418	98.22			
			0.003	-	0.004	1056	99.35			
			0.004	-	0.005	381	99.82			
			0.005	-	0.006	119	99.95			
			0.006	-	0.006	35	99.99			
			0.006	-	0.007	8	100.00			
			0.007	-	-	2	100.00			
QUEUE CH_1	MAX CONT.	ENTRY	ENTRY(0)	AVE.CONT.	AVE.TIME	AVE.(-0)	RETRY			
	13	0	100002	81325	0.202	0.000	0.000 0			
STORAGE UZEL	CAP.	REM.	MIN.	MAX.	ENTRIES	AVL.	AVE.C.	UTIL.	RETRY	DELAY
	4	2	0	4	100002	1	2.052	0.513	0	0
TABLE	MEAN	STD.DEV.	RANGE		RETRY		FREQUENCY	CUM.%		
T_W	0.000	0.000	-		0	94911	94.91			
			0.000	-	0.001	3559	98.47			
			0.001	-	0.001	1121	99.59			
			0.001	-	0.002	304	99.89			
			0.002	-	0.002	84	99.98			
			0.002	-	0.002	21	100.00			
			0.002	-	0.003	1	100.00			
			0.003	-	0.003	1	100.00			
T_U	0.001	0.001	-		0	63356	70.38			
			0.001	-	0.001	19522	82.07			
			0.002	-	0.002	5289	97.95			
			0.002	-	0.003	1350	99.45			
			0.003	-	0.004	360	99.85			
			0.004	-	0.005	106	99.97			
			0.005	-	0.006	28	100.00			
			0.006	-	0.006	1	100.00			
			0.006	-	0.007	1	100.00			
QUEUE CH_1	MAX CONT.	ENTRY	ENTRY(0)	AVE.CONT.	AVE.TIME	AVE.(-0)	RETRY			
	9	0	100002	93071	0.051	0.000	0.000 0			
STORAGE UZEL	CAP.	REM.	MIN.	MAX.	ENTRIES	AVL.	AVE.C.	UTIL.	RETRY	DELAY
	5	3	0	5	100002	1	2.070	0.414	0	0
TABLE	MEAN	STD.DEV.	RANGE		RETRY		FREQUENCY	CUM.%		
T_W	0.000	0.000	-		0	99001	99.00			
			0.000	-	0.001	817	99.82			
			0.001	-	0.001	167	99.98			
			0.001	-	0.002	15	100.00			
			0.002	-	0.002	2	100.00			
T_U	0.001	0.001	-		0	66085	73.36			
			0.001	-	0.001	17598	83.22			
			0.002	-	0.002	4488	98.20			
			0.002	-	0.003	1185	99.52			
			0.003	-	0.004	318	99.87			
			0.004	-	0.005	94	99.98			
			0.005	-	0.006	20	100.00			
			0.006	-	0.006	1	100.00			

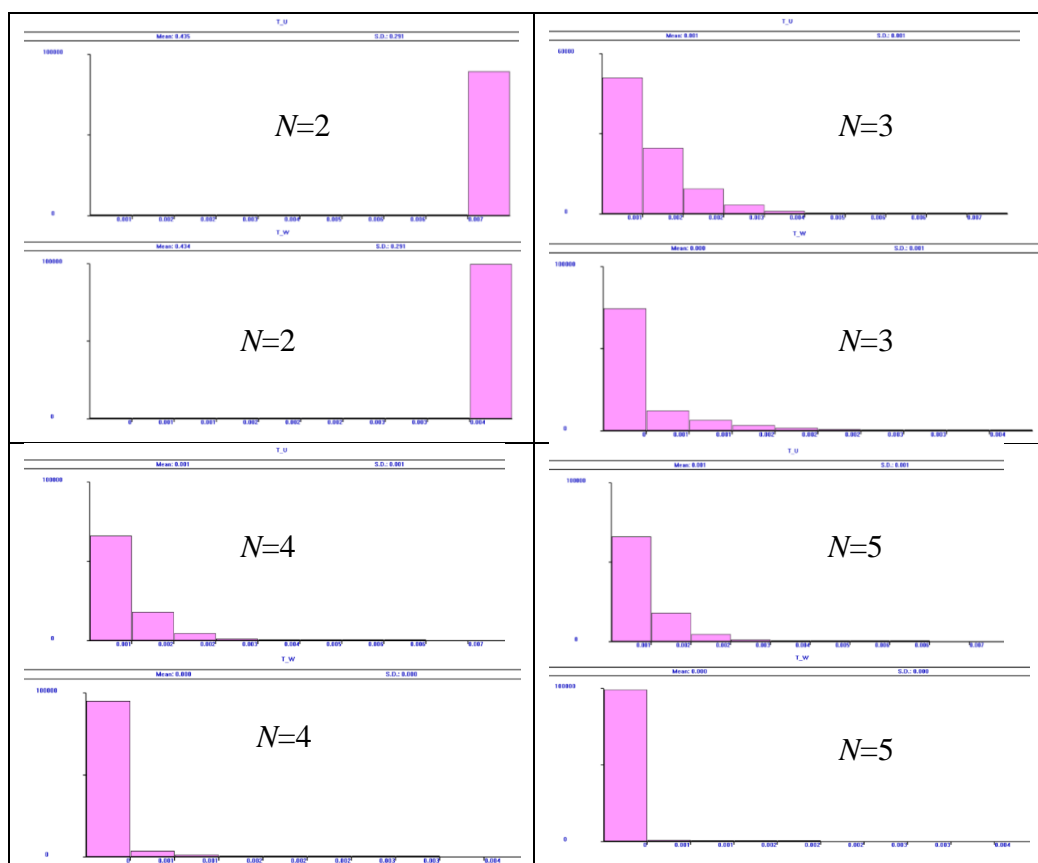
Fig.2. Fragments of reports for the first case, when  $N = 2,5$ Fig.3. Histograms of the distribution densities of the residence time  $T_U$  and waiting time  $T_W$  of requests for the first case, for  $N = 2,5$ .

Table1 provides the dynamics of changes in system characteristics, i.e. the number of requests in the PM, the average queue length and the PM utilization rate depending on the number of PM ( $N$ ) during the simulation for the first case.

Analysis of the dynamics of changes in these characteristics shows that with an increase in the number of PMs from 2 to 5:

- the number of requests in the PM remains almost unchanged, i.e. the difference is 1;
- the average queue length increases, and the difference is 0.071;
- the coefficient of utilization of the PM decreases, and the difference is 0.586.

Table 1

**Dynamics of changes in system characteristics depending on the number of PMs for the first case**

Number of PM	Number of requests to the PM (ENTRIES)	Average queue length (AVE.C)	PM utilization rate (UTIL)
2	100002	1.999	1.000
3	100003	2.068	0.689
4	100002	2.052	0.513
5	100002	2.070	0.414

In the models, for the purpose of constructing histograms, 10 frequency intervals were selected, and as the length of the frequency intervals,  $T_w 0.0004$  time units were selected for

the waiting time of requests in the queue, and  $T_U$  0.0008 time units for the time spent by requests in the system.

The analysis shows that in the first case, when the number of PMs changes from 3 to 5, the nature of the density distribution of the residence time  $T_U$  and waiting time  $T_W$  of requests does not change (see Fig. 3). Note that for clarity of histograms, it is desirable to have a large number of frequency intervals.

To obtain an objective picture, it is necessary to have a large sample of random variables, which is not always possible or advisable. The values of the lengths and number of frequency intervals are selected experimentally during several implementations of the simulation model or based on the expected values of the mathematical expectation and standard deviation of the corresponding random variable.

2. Requests received by the ISS are subject to an exponential distribution, and the service time is subject to a uniform distribution law.

In the second case, the results of a simulation model of the functioning of the ISS were obtained - reports (fragments of reports are shown in Fig. 4, on the basis of which Table 2 was created) and histograms of the distribution densities of the residence time  $T_U$  and waiting time  $T_W$  of requests, at  $N = 2,5$  (Fig. 5).

Table 2 reflects the dynamics of changes in the number of requests in the PM, the average queue length and the PM utilization rate depending on the number of PM ( $N$ ) during the simulation for the second case.

*Table 2*

**Dynamics of changes in system characteristics depending on the number of  
MHs for the second case**

Number of PM	Number of requests to the PM (ENTRIES)	Average queue length (AVE.C)	PM utilization rate (UTIL)
2	100002	2.000	1.000
3	100003	2.064	0.688
4	100002	2.056	0.514
5	100002	2.053	0.411

Analysis of the dynamics of changes in these characteristics shows that with an increase in the number of PMs from 2 to 5:

- as in the first case, the number of requests in the PM remains almost unchanged, i.e. the difference is 1;
- the average queue length increases, and the difference is 0.064;
- the coefficient of utilization of the PM decreases, and the difference is 0.589.

The analysis shows that in the second case, when the number of MHs changes from 3 to 5, the nature of the density distribution of the residence time  $T_U$  and waiting time  $T_W$  of requests does not change (see Fig. 5).

<p>QUEUE CH_1 MAX CONT. ENTRY ENTRY(0) AVE.CONT. AVE.TIME AVE.(-0) RETRY 3080 3078 103078 5 1529.895 0.437 0.437 0</p> <p>STORAGE CAP. REM. MIN. MAX. ENTRIES AVL. AVE.C. UTIL. RETRY DELAY UZEI 2 0 0 2 100002 1 2.000 1.000 0 3077</p> <p>TABLE MEAN STD.DEV. RANGE RETRY FREQUENCY CUM.% T_W 0.437 0.242 - - 0.000 0 9 0.01 0.000 - 0.001 8 0.02 0.001 - 0.001 9 0.03 0.001 - 0.002 19 0.04 0.002 - 0.002 11 0.06 0.002 - 0.002 14 0.07 0.002 - 0.003 5 0.08 0.003 - 0.003 8 0.09 0.003 - 0.004 11 0.10 0.004 - - 99903 100.00 T_U 0.437 0.242 - - 0.001 0 6 0.01 0.001 - 0.002 15 0.02 0.002 - 0.002 25 0.05 0.002 - 0.003 21 0.07 0.003 - 0.004 17 0.09 0.004 - 0.005 30 0.13 0.005 - 0.006 47 0.18 0.006 - 0.006 70 0.26 0.006 - 0.007 88 0.35 0.007 - - 89851 100.00</p>	<p>QUEUE CH_1 MAX CONT. ENTRY ENTRY(0) AVE.CONT. AVE.TIME AVE.(-0) RETRY 21 1 100003 54042 0.557 0.000 0.000 0</p> <p>STORAGE CAP. REM. MIN. MAX. ENTRIES AVL. AVE.C. UTIL. RETRY DELAY UZEI 3 0 0 3 100003 1 2.064 0.688 0 0</p> <p>TABLE MEAN STD.DEV. RANGE RETRY FREQUENCY CUM.% T_W 0.000 0.000 - - 0.000 0 85244 85.24 0.000 - 0.001 11138 96.38 0.001 - 0.001 2714 99.09 0.001 - 0.002 676 99.77 0.002 - 0.002 176 99.95 0.002 - 0.002 25 99.97 0.002 - 0.003 6 99.98 0.003 - 0.003 9 99.99 0.003 - 0.004 6 99.99 0.004 - - 8 100.00 T_U 0.001 0.000 - - 0.001 0 65006 72.27 0.001 - 0.002 23400 98.28 0.002 - 0.002 1465 99.91 0.002 - 0.003 59 99.97 0.003 - 0.004 15 99.99 0.004 - 0.005 10 100.00</p>
<p>QUEUE CH_1 MAX CONT. ENTRY ENTRY(0) AVE.CONT. AVE.TIME AVE.(-0) RETRY 8 0 100002 82358 0.112 0.000 0.000 0</p> <p>STORAGE CAP. REM. MIN. MAX. ENTRIES AVL. AVE.C. UTIL. RETRY DELAY UZEI 4 2 0 4 100002 1 2.056 0.514 0 0</p> <p>TABLE MEAN STD.DEV. RANGE RETRY FREQUENCY CUM.% T_W 0.000 0.000 - - 0.000 0 98663 98.66 0.000 - 0.001 1293 99.95 0.001 - 0.001 46 100.00 T_U 0.001 0.000 - - 0.001 0 84401 93.84 0.001 - 0.002 5542 100.00 0.002 - 0.002 3 100.00</p>	<p>QUEUE CH_1 MAX CONT. ENTRY ENTRY(0) AVE.CONT. AVE.TIME AVE.(-0) RETRY 7 0 100002 93823 0.029 0.000 0.000 0</p> <p>STORAGE CAP. REM. MIN. MAX. ENTRIES AVL. AVE.C. UTIL. RETRY DELAY UZEI 5 3 0 5 100002 1 2.053 0.411 0 0</p> <p>TABLE MEAN STD.DEV. RANGE RETRY FREQUENCY CUM.% T_W 0.000 0.000 - - 0.000 0 99894 99.89 0.000 - 0.001 107 100.00 0.001 - 0.001 1 100.00 T_U 0.001 0.000 - - 0.001 0 88876 98.71 0.001 - 0.002 1165 100.00</p>

Fig.4. Fragments of reports for the first case, when  $N = 2,5$

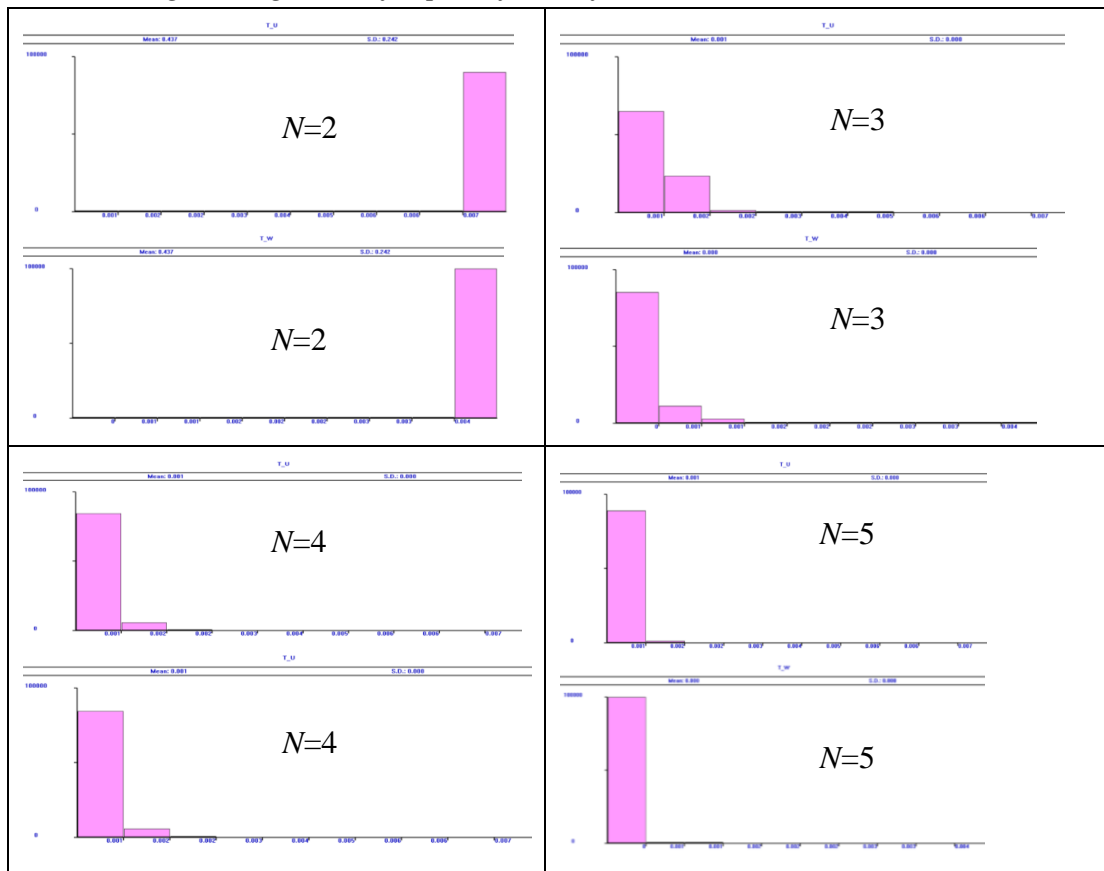


Fig.5. Histograms of distribution densities of residence time  $T_U$  and waiting time  $T_W$  of requests for the second case, with  $N = 2,5$ .



3. Receipts of requests to the ISS are subject to the exponential distribution law, and the service time is subject to the Erlang distribution law.

In the third case, the results of the ISS simulation model were obtained - reports (fragments of reports are shown in Fig. 6, on the basis of which Table 3 was created) and histograms of the density distribution of the residence time  $T_U$  and waiting time  $T_W$  of requests at  $N = 2,5$  (Fig. 7).

Table 3 shows the dynamics of changes in the number of requests in the PM, the average queue length, and the coefficient of PM utilization from the number of PM ( $N$ ) during the simulation for the third case.

Table 3

**Dynamics of changes in the characteristics of the MH system for the third case**

Number of PM	Number of requests to the PM (ENTRIES)	Average queue length (AVE.C)	PM utilization rate (UTIL)
2	100002	2.000	1.000
3	100003	3.000	1.000
4	100004	3.999	1.000
5	100005	4.138	0.828

Analysis of the dynamics of changes in these characteristics shows that with an increase in the number of PMs from 2 to 5:

- the number of requests in the PM increases slightly, and the difference is 3 requests;
- the average queue length increases, and the difference is 2.138;
- the coefficient of utilization of the PM decreases, and the difference is 0.172.

The analysis shows that in the third case, when the number of PMs changes from 2 to 4, the nature of the density distribution of the residence time  $T_U$  and waiting time  $T_W$  of requests does not change (see Fig. 7).

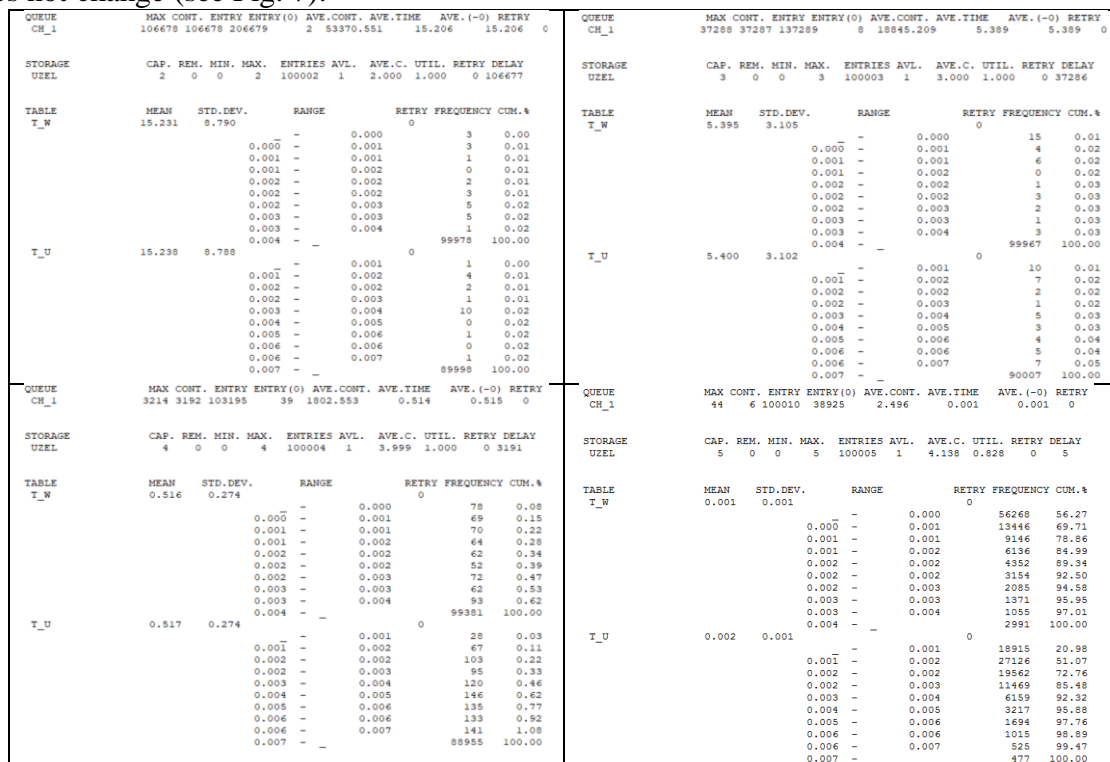


Fig.6. Fragments of reports for the first case, when  $N = 2,5$

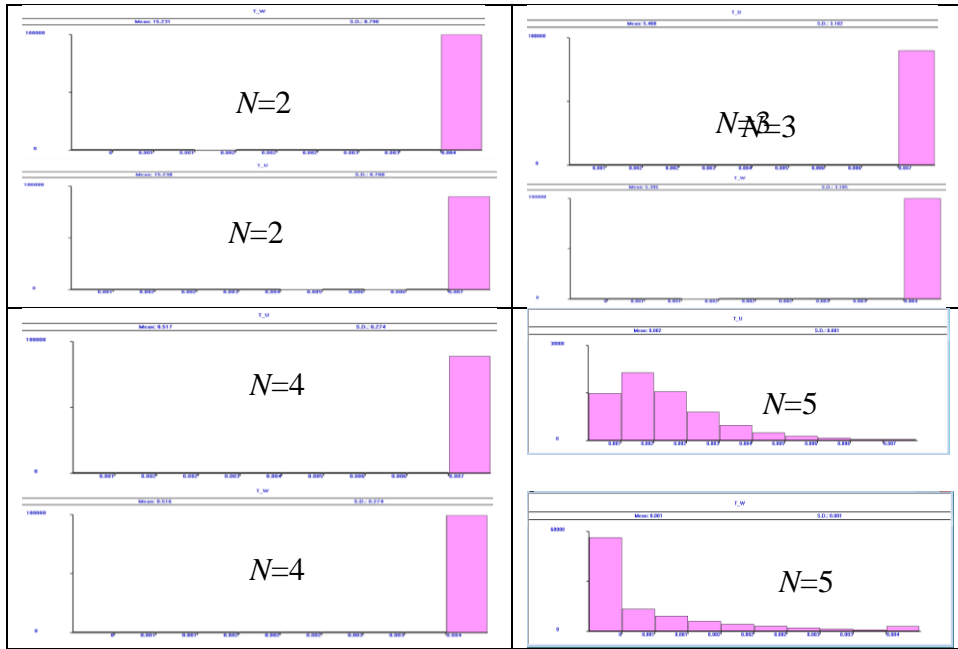


Fig.7. Histograms of distribution densities of residence time  $T_u$  and waiting time  $T_w$  of requests for the third case, with  $N = 2,5$ .

Based on Tables 1-3, the dynamics of changes in the differences in the number of requests in the PM, the average queue length and the PM utilization rate for three cases at  $N = 2,5$ .

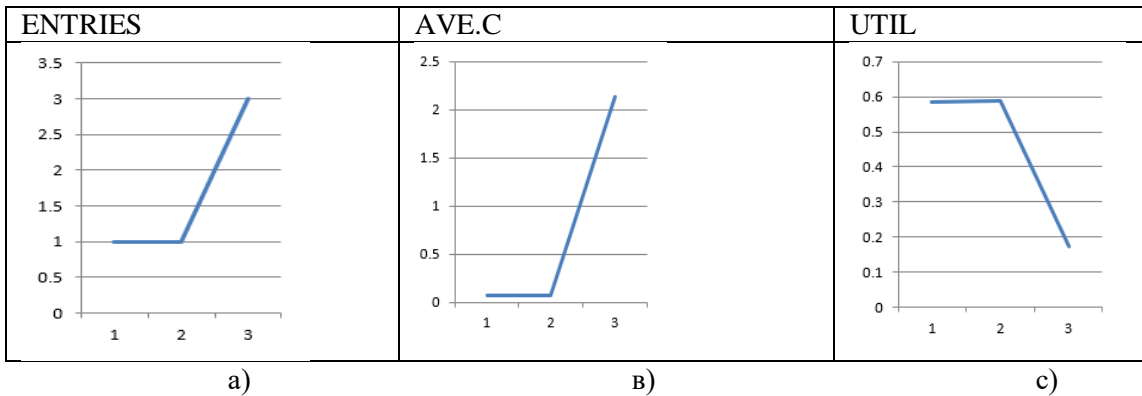


Fig. 8. Dynamics of changes in the differences in the number of requests in the PM (a), average queue lengths (b), and PM utilization rates (c) for three cases at  $N = 2,5$ .

The results obtained from Tables 1-3 and Fig. 8 show that with an increase in the number of PMs from 2 to 5 for three cases:

- the nature of the change in the differences in the number of requests in the PM is 1; 1 and 3;
- the nature of the change in the differences in the average queue length is 0.071; 0.064; 2.138;
- the nature of the change in the differences in the utilization rate of the PM is 0.586; 0.589; 0.172.

#### 4. CONCLUSIONS AND PROSPECTS FOR FURTHER RESEARCH

The current problem of developing an algorithm and simulation model is being solved, the results of the simulation model are analyzed to determine the main characteristics of the ISS, providing the opportunity to completely close, with the help of a security system, all possible channels of manifestation of threats, by ensuring control of the transition of all requests of the UA through the PM.

The scientific novelty of the results obtained lies in the fact that for the first time an algorithm and simulation models were proposed and developed, a methodology for the development of ISS based on the analysis of the structural and temporal characteristics of the ISS from the UA, as a single-phase multi-channel QS with an unlimited volume of BM with wide values of input and output parameters.

The experiments carried out based on the developed algorithm and model confirmed the expected results when analyzing the characteristics of the ISS from the UA. The practical significance of the results obtained lies in the fact that these results can be used for the practical construction of new or modification of existing ISS in corporate service networks for various purposes, including higher educational institutions.

This work is one of the approaches to generalizing the problems under consideration for systems with an unlimited volume of BM.

Prospects for further research include research and development of the principles of hardware and software implementation of ISS from UA with an unlimited volume of BM in corporate service networks.

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## АНАЛІЗ РЕЗУЛЬТАТІВ ІМІТАЦІЙНОГО МОДЕЛЮВАННЯ СИСТЕМИ ЗАХИСТУ ІНФОРМАЦІЇ У КОРПОРАТИВНИХ МЕРЕЖАХ ЗАКЛАДІВ ВИЩОЇ ОСВІТИ

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**Анотація.** Аналіз показує, що недостатній рівень інформаційної безпеки мереж обслуговування є основною причиною величезних збитків для підприємств. Незважаючи на появу низки робіт щодо вирішення цієї проблеми, єдиної системи оцінки інформаційної безпеки на сьогоднішні немає. Це свідчить про те, що ця проблема ще недостатньо вивчена та актуальна. Ця робота є одним із кроків до створення системи оцінки інформаційної безпеки в мережах обслуговування.

Метою роботи є розробка алгоритму та імітаційної моделі, аналіз результатів імітаційної моделі для визначення основних характеристик системи захисту інформації (СЗІ), що забезпечує можливість повністю закрити всі можливі канали загроз шляхом контролю всіх несанкціонованих запитів доступу (НЗД) через механізм захисту (МЗ).

Для вирішення задачі застосовано метод моделювання з використанням принципів систем масового обслуговування (СМО). Цей метод дає можливість отримати основні характеристики СЗІ від НЗД з необмеженим обсягом буферної пам'яті (БП). Запропоновано моделі, алгоритм і методологію розробки СЗІ з НЗД, яка розглядається як однофазна багатоканальна СМО з необмеженим обсягом БП. Процес отримання результатів моделювання було реалізовано в системі моделювання GPSS World і проведено порівняльний аналіз основних характеристик СЗІ для різних законів розподілу вихідних параметрів. Водночас НЗД запити були найпростішими потоками, а час обслуговування підпорядковувався експоненційному, константному та Ерланговому законам розподілу.

Проведені експерименти на основі запропонованих моделей та алгоритму аналізу характеристик СЗІ з НЗД як однофазної багатоканальної СМО з необмеженим часом очікування запитів у черзі підтвердили очікувані результати. Отримані результати можуть бути використані для побудови нових або модифікації існуючих ІКС у корпоративних мережах для обслуговування об'єктів різного призначення. Дана робота є одним з підходів до узагальнення задач, що розглядаються, для систем з необмеженим об'ємом БП. Перспективи подальших досліджень полягають у дослідженні та розробці принципів апаратно-програмної реалізації СЗІ в мережах обслуговування.

**Ключові слова:** несанкціоновані запити доступу (НЗД); системи захисту інформації (СЗІ); інформаційна безпека; системи масового обслуговування (СМО); механізм захисту (МЗ); імітаційне моделювання.



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